

# TRIANGLE AND ITS ANGLES

## REVISION OF KEY CONCEPTS AND FORMULAE

1. A plane figure formed by three lines in a plane is called a triangle.

A triangle is generally denoted by the symbol  $\Delta$ . In  $\Delta ABC$ ,  $A$ ,  $B$  and  $C$  are known as vertices. A triangle  $ABC$  has six elements, namely, three sides  $AB$ ,  $BC$  and  $CA$  and three angles  $\angle A$ ,  $\angle B$  and  $\angle C$ .

*Equilateral Triangle:* A triangle having all sides equal is called an equilateral triangle.

The measure of each angle of an equilateral triangle is  $60^\circ$ .

*Isosceles Triangle:* A triangle having two sides equal is called an isosceles triangle.

Angles opposite to equal sides of an isosceles triangle are equal. Sides opposite to equal angles of a triangle are equal.

*Scalene triangle:* A triangle, no two of whose sides are equal is called a scalene triangles.

All angles of a scalene triangle are distinct.

*Right angled triangle:* A triangle with one angle a right angle is called a right triangle or a right angled triangle.

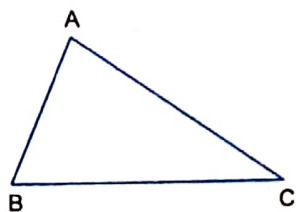


Fig.11.1

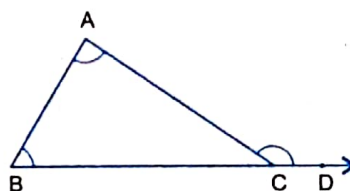


Fig.11.2

2. The sum of the angles of a triangle is  $180^\circ$ .
3. If the side of a triangle is produced then the exterior angle so formed is equal to the sum of the two interior opposite angles. i.e.  $\angle ACD = \angle CAB + \angle ABC$ .

The exterior angle of a triangle is greater than each of the interior opposite angles.

4. In a  $\Delta ABC$ , if the bisectors of  $\angle B$  and  $\angle C$  intersect each other at  $O$ . Then,

$$\angle BOC = 90^\circ + \frac{1}{2} \angle A$$

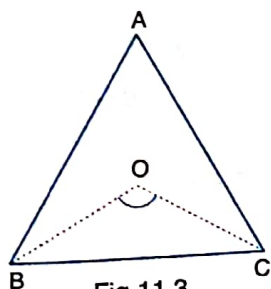


Fig.11.3

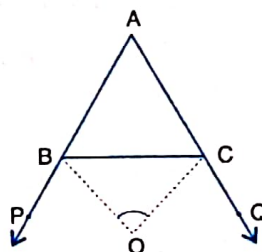


Fig.11.4

5. In a  $\Delta ABC$ , the sides  $AB$  and  $AC$  are produced to the points  $P$  and  $Q$  respectively. If the bisectors of  $\angle PBC$  and  $\angle QCB$  intersect at  $O$ , then

$$\angle BOC = 90^\circ - \frac{1}{2}\angle A.$$

6. In a  $\triangle ABC$ , if the bisectors  $\angle B$  and  $\angle C$  intersect at  $O$  and the bisectors of ext  $\angle B$  and ext  $\angle C$  meet at  $O'$ , then  $\angle BOC + \angle BO'C = 180^\circ$  i.e.  $\angle BOC$  and  $\angle BO'C$  are supplementary.
7. In a  $\triangle ABC$ , the angle between the internal bisector of one base angle and the external bisector of other base angle is equal to one-half of the vertical angle i.e.  $\angle E = \frac{1}{2}\angle A$  (see Fig. 11.5)

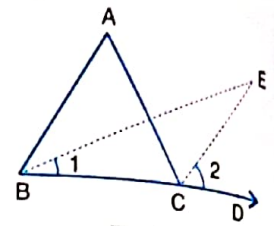


Fig.11.5

## SOLVED EXAMPLES

### MULTIPLE CHOICE

**EXAMPLE 1** In a  $\triangle ABC$ , if  $\angle A = \angle B + \angle C$ , then  $\triangle ABC$  is

- (a) isosceles triangle (b) equilateral triangle (c) right triangle (d) none of these

Ans. (c)

**SOLUTION** We have,

$$\angle A = \angle B + \angle C \Rightarrow \angle A + \angle A = \angle A + \angle B + \angle C \Rightarrow 2\angle A = 180^\circ \Rightarrow \angle A = 90^\circ$$

Hence,  $\triangle ABC$  is a right triangle.

**EXAMPLE 2** In Fig. 11.6,  $BC \parallel PQ$ ,  $BP$  and  $CQ$  intersect at  $O$ . If  $x + y = 80^\circ$  and  $x - y = 55^\circ$ , then  $z =$

- (a)  $80^\circ$  (b)  $55^\circ$  (c)  $90^\circ$  (d)  $100^\circ$

Ans. (d)

**SOLUTION** It is given that  $BC \parallel PQ$  and transversal  $BP$  cuts them at  $B$  and  $P$  respectively.

$$\begin{aligned} \therefore \angle CBP &= \angle BPQ & [\text{Alternate angles}] \\ \Rightarrow \angle BPQ &= x \end{aligned}$$

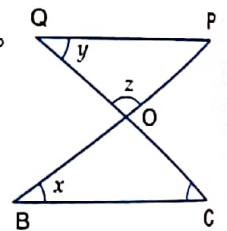


Fig.11.6

Using angle sum property in  $\triangle OPQ$ , we obtain

$$\angle P + \angle Q + \angle POQ = 180^\circ \Rightarrow x + y + z = 180^\circ \Rightarrow 80^\circ + z = 180^\circ \Rightarrow z = 100^\circ \quad [\because x + y = 80^\circ \text{ (given)}]$$

**EXAMPLE 3** In Fig. 11.7,  $\angle A + \angle B + \angle C + \angle D + \angle E + \angle F =$

- (a)  $180^\circ$  (b)  $360^\circ$  (c)  $540^\circ$  (d)  $90^\circ$

Ans. (b)

**SOLUTION** Using angle sum property in  $\triangle$ 's  $ABC$  and  $DEF$ , we obtain

$$\angle A + \angle B + \angle C = 180^\circ \text{ and } \angle D + \angle E + \angle F = 180^\circ$$

$$\Rightarrow \angle A + \angle B + \angle C + \angle D + \angle E + \angle F = 180^\circ + 180^\circ = 360^\circ$$

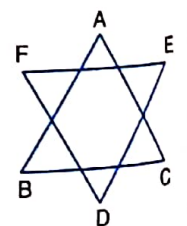


Fig.11.7

**EXAMPLE 4** In Fig. 11.8,  $\angle ACD = 120^\circ$  and  $\angle ABC = 40^\circ$ , then  $\angle BAC =$

- (a)  $80^\circ$  (b)  $60^\circ$  (c)  $50^\circ$  (d)  $40^\circ$

Ans. (a)

**SOLUTION** In  $\triangle ABC$ , side  $BC$  is produced to  $D$ . Using exterior angle property, we obtain

$$\angle ACD = \angle ABC + \angle BAC$$

$$\Rightarrow 120^\circ = 40^\circ + \angle BAC \Rightarrow \angle BAC = 80^\circ$$

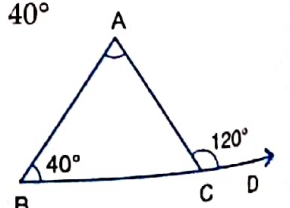


Fig.11.8

**EXAMPLE 5** In Fig. 11.9, sides  $CB$  and  $BA$  of  $\triangle ABC$  are produced to  $D$  and  $E$  respectively.  $\angle ABD = 105^\circ$  and  $\angle CAE = 130^\circ$ , then  $\angle ACB =$

- (a)  $50^\circ$  (b)  $55^\circ$  (c)  $75^\circ$  (d)  $130^\circ$

Ans. (b)

SOLUTION We have,  $\angle CAE = 130^\circ$   
 $\angle BAC = 180^\circ - 130^\circ = 50^\circ$  [ $\because \angle BAC + \angle CAE = 180^\circ$ ]

Using exterior angle property in  $\triangle ABC$ , we obtain

$$\angle ABD = \angle BAC + \angle ACB$$

$$105^\circ = 50^\circ + \angle ACB \Rightarrow \angle ACB = 105^\circ - 50^\circ = 55^\circ$$

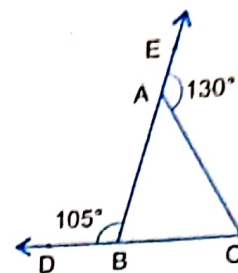


Fig.11.9

**EXAMPLE 6** In a  $\triangle ABC$ , it is given that  $\angle A : \angle B : \angle C = 3 : 2 : 1$  and  $\angle ACD = 90^\circ$ . If BC is produced to E, then  $\angle ECD =$

(a)  $60^\circ$

(b)  $30^\circ$

(c)  $50^\circ$

(d)  $40^\circ$

Ans. (a)

SOLUTION We have,  $\angle A : \angle B : \angle C = 1 : 2 : 3$

So, let  $\angle A = 3x$ ,  $\angle B = 2x$  and  $\angle C = x$ .

$$\angle A + \angle B + \angle C = 180^\circ$$

$$3x + 2x + 3x = 180^\circ \Rightarrow 6x = 180^\circ \Rightarrow x = 30^\circ$$

$$\angle A = 90^\circ, \angle B = 60^\circ \text{ and } \angle C = 30^\circ$$

Using exterior angle property in  $\triangle ACE$ , we obtain

$$\angle ACE = \angle A + \angle B \Rightarrow \angle ACD + \angle ECD = 90^\circ + 60^\circ \Rightarrow 90^\circ + \angle ECD = 150^\circ \Rightarrow \angle ECD = 60^\circ$$

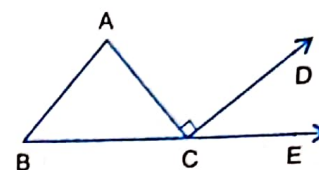


Fig.11.10

**EXAMPLE 7** In Fig. 11.11, if the sides BC, CA and AB of  $\triangle ABC$  have been produced to D, E and F respectively, then  $\angle BAE + \angle CBF + \angle ACD =$

(a)  $180^\circ$

(b)  $360^\circ$

(c)  $240^\circ$

(d)  $300^\circ$

Ans. (b)

SOLUTION Using exterior angle property in  $\triangle ABC$ , we obtain

$$\angle ACD = \angle A + \angle B, \angle CBF = \angle A + \angle C \text{ and } \angle BAE = \angle B + \angle C$$

$$\therefore \angle BAE + \angle CBF + \angle ACD = (\angle B + \angle C) + (\angle A + \angle C) + (\angle A + \angle B)$$

$$= 2(\angle A + \angle B + \angle C) = 2 \times 180^\circ = 360^\circ$$

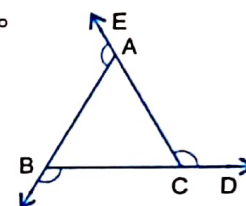


Fig.11.11

**EXAMPLE 8** In Fig. 11.12, if PT is the bisector of  $\angle QPR$  in  $\triangle PQR$ ,  $\angle PQR = 50^\circ$ ,  $\angle PRQ = 30^\circ$  and  $PS \perp QR$ , then  $x =$

(a)  $40^\circ$

(b)  $20^\circ$

(c)  $30^\circ$

(d)  $10^\circ$

Ans. (d)

SOLUTION Using angle sum property in  $\triangle PQR$ , we obtain

$$\angle PQR + \angle PRQ + \angle RPQ = 180^\circ$$

$$50^\circ + 30^\circ + \angle RPQ = 180^\circ \Rightarrow \angle RPQ = 100^\circ$$

$$\angle QPT = \frac{1}{2} \angle RPQ = 50^\circ \quad [\because PT \text{ is bisector of } \angle QPR]$$

Using exterior angle property in  $\triangle PQS$ , we obtain

$$\angle PST = \angle PQS + \angle QPS \Rightarrow 90^\circ = 50^\circ + \angle QPS \Rightarrow \angle QPS = 40^\circ$$

$$x = \angle QPT - \angle QPS = 50^\circ - 40^\circ = 10^\circ$$

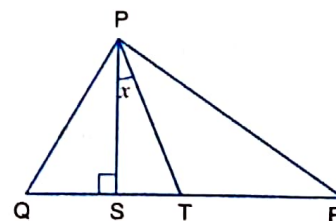


Fig.11.12

**EXAMPLE 9** In Fig.11.13,  $a + b =$

(a)  $117^\circ$

(b)  $130^\circ$

(c)  $127^\circ$

(d)  $158^\circ$

Ans. (c)

**SOLUTION** Since  $ARB$  is a straight line.

$$\therefore \frac{x}{2} + 5\left(\frac{x}{2} - 1^\circ\right) + x + 9^\circ = 180^\circ$$

$$\Rightarrow 4x + 4^\circ = 180^\circ \Rightarrow 4x = 176^\circ \Rightarrow x = 44^\circ$$

Using exterior angle property in  $PQR$ , we obtain

$$\angle QRC = a + b$$

$$\Rightarrow \frac{x}{2} + 5\left(\frac{x}{2} - 1^\circ\right) = a + b \Rightarrow a + b = 3x - 5^\circ \Rightarrow a + b = 3 \times 44^\circ - 5 = 127^\circ$$

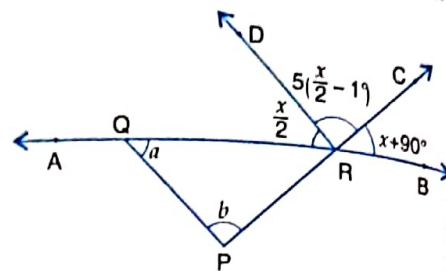


Fig.11.13

### ASSERTION-REASON

Each of the following examples contains STATEMENT-1 (Assertion) and STATEMENT-2 (Reason) has following four choices (a), (b), (c) and (d), only one of which is the correct answer. Mark the correct choice.

- (a) Statement-1 is true, Statement-2 is true; Statement-2 is a correct explanation for Statement-1.
- (b) Statement-1 is true, Statement-2 is true; Statement-2 is not a correct explanation for Statement-1.
- (c) Statement-1 is true, Statement-2 is false.
- (d) Statement-1 is false, Statement-2 is true.

**EXAMPLE 10** Statement-1 (Assertion): In Fig. 11.14, side  $BC$  of  $\triangle ABC$  is produced to  $D$ . If  $\angle ACD = 110^\circ$ , then  $x = 40^\circ$ .

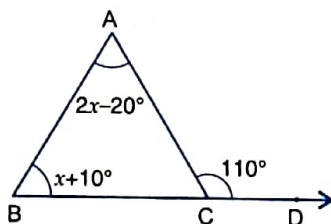


Fig.11.14

Statement-2 (Reason): If a side of a triangle is produced, the exterior angle so formed is equal to the sum of the two interior opposite angles.

Ans. (a)

**SOLUTION** Statement-2 is the Exterior angle theorem. So, it is true. Using statement-2, we obtain

$$2x - 20^\circ + x + 10^\circ = 110^\circ \Rightarrow 3x = 120^\circ \Rightarrow x = 40^\circ$$

So, statement-1 is also true. Also, statement-2 is a correct explanation for statement-1. Hence, option (a) is correct.

**EXAMPLE 11** Statement-1 (Assertion): In Fig. 11.15, if the bisectors of angles  $\angle B$  and  $\angle C$  of  $\triangle ABC$  meet at  $O$ , then  $\angle BOC = 140^\circ$

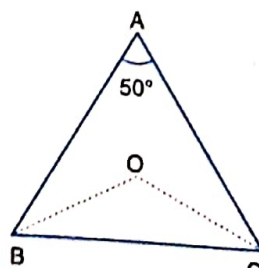


Fig.11.15

Statement-2 (Reason): If bisectors of angles B and C of a  $\triangle ABC$  meet at O, then  

$$\angle BOC = 90^\circ + \frac{\angle A}{2}.$$

Ans. (d)

SOLUTION Statement-2 is true (See S.No. 4 on Page 96).

Using statement-2, we obtain

$$\angle BOC = 90^\circ + \frac{1}{2} \times 50^\circ = 115^\circ$$

So, statement-1 is not true. Hence, option (d) is correct.

**EXAMPLE 12** Statement-1 (Assertion): In a  $\triangle ABC$ , the bisectors of  $\angle B$  and  $\angle C$  meet at a point O and the bisectors of  $\text{ext } \angle B$  and  $\text{ext } \angle C$  meet at a point O'. If  $\angle BOC = 135^\circ$ , then  $\angle BO'C = 45^\circ$

Statement-2 (Reason): In a  $\triangle ABC$ , if the bisectors of  $\angle B$  and  $\angle C$  meet at a point O and the bisectors of  $\text{ext } \angle B$  and  $\text{ext } \angle C$  meet at a point O'. Then,  $\angle BOC$  and  $\angle BO'C$  are supplementary.

Ans. (a)

SOLUTION Statement-2 is true see S.No. 6 on page 96). Using statement-2, we have,

$$\angle BOC + \angle BO'C = 180^\circ \Rightarrow 135^\circ + \angle BO'C = 180^\circ \Rightarrow \angle BO'C = 45^\circ$$

So, statement-1 is true and statement-2 is a correct explanation for statement-1.

Hence, option (a) is correct.

## PRACTICE EXERCISES

### MULTIPLE CHOICE

Mark the correct alternative in each of the following:

- If all the three angles of a triangle are equal, then each one of them is equal to  
 (a)  $90^\circ$  (b)  $45^\circ$  (c)  $60^\circ$  (d)  $30^\circ$
- If two acute angles of a right triangle are equal, then each acute is equal to  
 (a)  $30^\circ$  (b)  $45^\circ$  (c)  $60^\circ$  (d)  $90^\circ$
- An exterior angle of a triangle is equal to  $100^\circ$  and two interior opposite angles are equal. Each of these angles is equal to  
 (a)  $75^\circ$  (b)  $80^\circ$  (c)  $40^\circ$  (d)  $50^\circ$
- If one angle of a triangle is equal to the sum of the other two angles, then the triangle is  
 (a) an isosceles triangle (b) an obtuse triangle  
 (c) an equilateral triangle (d) a right triangle
- Side BC of a triangle ABC has been produced to a point D such that  $\angle ACD = 120^\circ$ . If  $\angle B = \frac{1}{2} \angle A$ , then  $\angle A$  is equal to  
 (a)  $80^\circ$  (b)  $75^\circ$  (c)  $60^\circ$  (d)  $90^\circ$
- In  $\triangle ABC$ ,  $\angle B = \angle C$  and ray AX bisects the exterior angle  $\angle DAC$ . If  $\angle DAX = 70^\circ$ , then  $\angle ACB =$   
 (a)  $35^\circ$  (b)  $90^\circ$  (c)  $70^\circ$  (d)  $55^\circ$
- In a triangle, an exterior angle at a vertex is  $95^\circ$  and its one of the interior opposite angle is  $55^\circ$ , then the measure of the other interior angle is  
 (a)  $55^\circ$  (b)  $85^\circ$  (c)  $40^\circ$  (d)  $9.0^\circ$

8. If the sides of a triangle are produced in order, then the sum of the three exterior angles so formed is  
 (a)  $90^\circ$  (b)  $180^\circ$  (c)  $270^\circ$  (d)  $360^\circ$
9. In  $\triangle ABC$ , if  $\angle A = 100^\circ$ ,  $AD$  bisects  $\angle A$  and  $AD \perp BC$ . Then,  $\angle B =$   
 (a)  $50^\circ$  (b)  $90^\circ$  (c)  $40^\circ$  (d)  $100^\circ$
10. An exterior angle of a triangle is  $108^\circ$  and its interior opposite angles are in the ratio 4 : 5. The angles of the triangle are  
 (a)  $48^\circ, 60^\circ, 72^\circ$  (b)  $50^\circ, 60^\circ, 70^\circ$  (c)  $52^\circ, 56^\circ, 72^\circ$  (d)  $42^\circ, 60^\circ, 76^\circ$
11. In a  $\triangle ABC$ , if  $\angle A = 60^\circ$ ,  $\angle B = 80^\circ$  and the bisectors of  $\angle B$  and  $\angle C$  meet at  $O$ , then  $\angle BOC =$   
 (a)  $60^\circ$  (b)  $120^\circ$  (c)  $150^\circ$  (d)  $30^\circ$
12. Line segments  $AB$  and  $CD$  intersect at  $O$  such that  $AC \parallel DB$ . If  $\angle CAB = 45^\circ$  and  $\angle CDB = 55^\circ$ , then  $\angle BOD =$   
 (a)  $100^\circ$  (b)  $80^\circ$  (c)  $90^\circ$  (d)  $135^\circ$
13. In Fig. 11.16, if  $EC \parallel AB$ ,  $\angle ECD = 70^\circ$  and  $\angle BDO = 20^\circ$ , then  $\angle OBD$  is  
 (a)  $20^\circ$  (b)  $50^\circ$  (c)  $60^\circ$  (d)  $70^\circ$

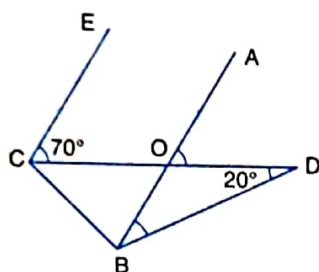


Fig. 11.16

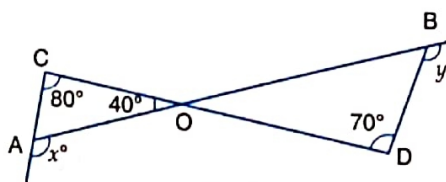


Fig. 11.17

14. In Fig. 11.17,  $x + y =$   
 (a) 270 (b) 230 (c) 210 (d) 190
15. If the measures of angles of a triangle are in the ratio of 3 : 4 : 5, what is the measure of the smallest angle of the triangle?  
 (a)  $25^\circ$  (b)  $30^\circ$  (c)  $45^\circ$  (d)  $60^\circ$
16. In Fig. 11.18, for which value of  $x$  is  $l_1 \parallel l_2$ ?  
 (a) 37 (b) 43 (c) 45 (d) 47
17. In Fig. 11.19, the value of  $x$  is  
 (a)  $65^\circ$  (b)  $80^\circ$  (c)  $95^\circ$  (d)  $120^\circ$

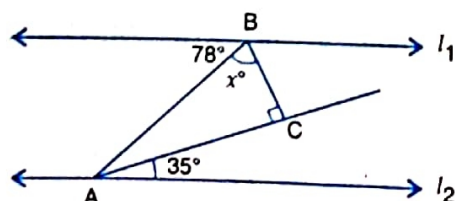


Fig. 11.18

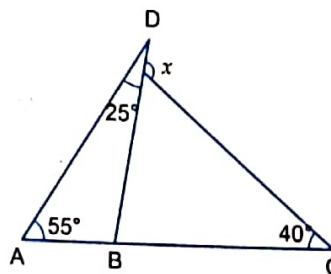


Fig. 11.19

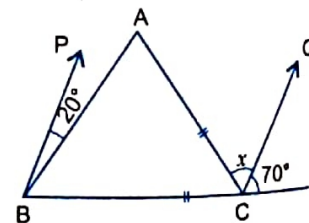


Fig. 11.20

18. In Fig. 11.20, if  $BP \parallel CQ$  and  $AC = BC$ , then the measure of  $x$  is  
 (a)  $20^\circ$  (b)  $25^\circ$  (c)  $30^\circ$  (d)  $35^\circ$

19. The base  $BC$  of triangle  $ABC$  is produced both ways and the measure of exterior angles formed are  $94^\circ$  and  $126^\circ$ . Then,  $\angle BAC =$

(a)  $94^\circ$  (b)  $54^\circ$  (c)  $40^\circ$  (d)  $44^\circ$

20. In Fig. 11.21 if  $AB \perp BC$ , then  $x =$

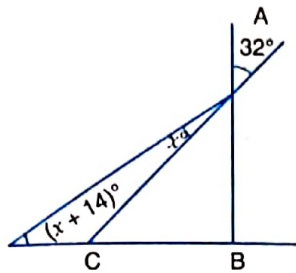


Fig. 11.21

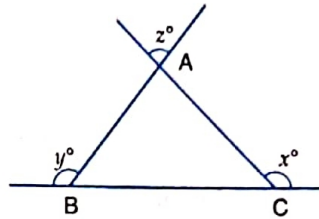


Fig. 11.22

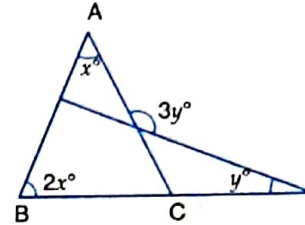


Fig. 11.23

- (a) 18 (b) 22 (c) 25 (d) 32
21. In Fig. 11.22, what is  $z$  in terms of  $x$  and  $y$ ?
- (a)  $x + y + 180$  (b)  $x + y - 180$  (c)  $180^\circ - (x + y)$  (d)  $x + y + 360^\circ$
22. In Fig. 11.23, what is  $y$  in terms of  $x$ ?
- (a)  $\frac{3}{2}x$  (b)  $\frac{4}{3}x$  (c)  $x$  (d)  $\frac{3}{4}x$
23. In Fig. 11.24, what is the value of  $x$ ?

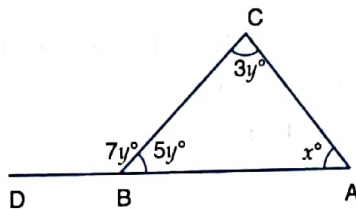


Fig. 11.24

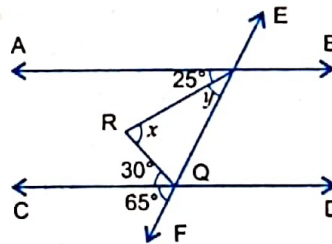


Fig. 11.25

- (a) 35 (b) 45 (c) 50 (d) 60
24. In Fig. 11.25,  $AB$  and  $CD$  are parallel lines and transversal  $EF$  intersects them at  $P$  and  $Q$  respectively. If  $\angle APR = 25^\circ$ ,  $\angle RQC = 30^\circ$  and  $\angle CQF = 65^\circ$ , then
- (a)  $x = 55^\circ, y = 40^\circ$  (b)  $x = 50^\circ, y = 45^\circ$  (c)  $x = 60^\circ, y = 35^\circ$  (d)  $x = 35^\circ, y = 60^\circ$
25. If the bisectors of the acute angles of a right triangle meet at  $O$ , then the angle at  $O$  between the two bisectors is
- (a)  $45^\circ$  (b)  $95^\circ$  (c)  $135^\circ$  (d)  $90^\circ$
26. The bisectors of exterior angles at  $B$  and  $C$  of  $\triangle ABC$  meet at  $O$ . If  $\angle A = x^\circ$ , then  $\angle BOC =$
- (a)  $90^\circ + \frac{x^\circ}{2}$  (b)  $90^\circ - \frac{x^\circ}{2}$  (c)  $180^\circ + \frac{x^\circ}{2}$  (d)  $180^\circ - \frac{x^\circ}{2}$
27. In a  $\triangle ABC$ ,  $\angle A = 50^\circ$  and  $BC$  is produced to a point  $D$ . If the bisectors of  $\angle ABC$  and  $\angle ACD$  meet at  $E$ , then  $\angle E =$
- (a)  $25^\circ$  (b)  $50^\circ$  (c)  $100^\circ$  (d)  $75^\circ$
28. The side  $BC$  of  $\triangle ABC$  is produced to a point  $D$ . The bisector of  $\angle A$  meets side  $BC$  in  $L$ . If  $\angle ABC = 30^\circ$  and  $\angle ACD = 115^\circ$ , then  $\angle ALC =$
- (a)  $85^\circ$  (b)  $72\frac{1}{2}^\circ$  (c)  $145^\circ$  (d) none of these

29. In Fig. 11.26, if  $l_1 \parallel l_2$ , the value of  $x$  is

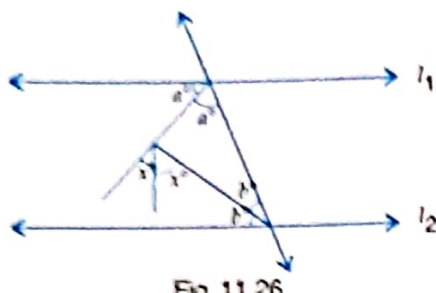


Fig. 11.26

(a)  $22\frac{1}{2}$

(b) 30

(c) 45

(d) 60

30. In  $\triangle RST$  (See Fig. 11.27), what is the value of  $x$ ?

(a) 40

(b)  $90^\circ$

(c)  $80^\circ$

(d) 100

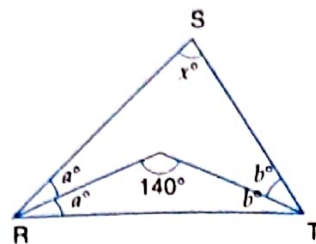


Fig. 11.27

### ASSERTION-REASON

Each of the following questions contains STATEMENT-1 (Assertion) and STATEMENT-2 (Reason) and has following four choices (a), (b), (c) and (d), only one of which is the correct answer. Mark the correct choice.

- (a) Statement-1 is true, Statement-2 is true; Statement-2 is a correct explanation for Statement-1.  
 (b) Statement-1 is true, Statement-2 is true; Statement-2 is not a correct explanation for Statement-1.  
 (c) Statement-1 is true, Statement-2 is false.  
 (d) Statement-1 is false, Statement-2 is true.

31. Statement-1 (Assertion): In a  $\triangle ABC$ , if the bisectors of angles  $\angle B$  and  $\angle C$  meet at a point  $O$ , then  $\angle BOC$  is always an obtuse angle.

Statement-2 (Reason): In a  $\triangle ABC$ , if the bisectors of angles  $\angle B$  and  $\angle C$  meet at a point  $O$ , then  $\angle BOC = 90^\circ + \frac{\angle A}{2}$ .

32. Statement-1 (Assertion): In a  $\triangle ABC$ , sides  $AB$  and  $AC$  are produced to  $P$  and  $Q$  respectively. If the bisectors of  $\angle PBC$  and  $\angle QCB$  intersect at  $O$ , then  $\angle BOC$  is an acute angle.

Statement-2 (Reason): In a  $\triangle ABC$ , sides  $AB$  and  $AC$  are produced to  $P$  and  $Q$  respectively. If the bisectors of  $\angle PBC$  and  $\angle QCB$  intersect at  $O$ , then  $\angle BOC = 90^\circ - \frac{A}{2}$ .

33. Statement-1 (Assertion): In Fig. 11.28, side  $BC$  of  $\triangle ABC$  is produced to a point  $D$  such that the bisectors of  $\angle ABC$  and  $\angle ACD$  meet at a point  $E$ . If  $\angle BAC = 80^\circ$ , then  $\angle BEC = 50^\circ$ .

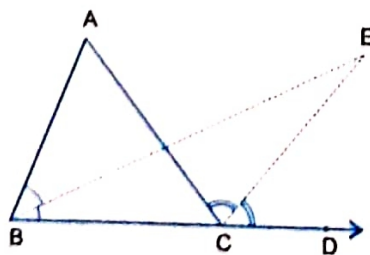


Fig. 11.28

Statement-2 (Reason): The angle between the internal bisector of one base angle and the external bisector of the other angle of a triangle is equal to one-half of the vertical angle.

34. Statement-1 (Assertion): In fig. 11.29, if  $CP \parallel BQ$ , then  $\angle ACP = 140^\circ$ .

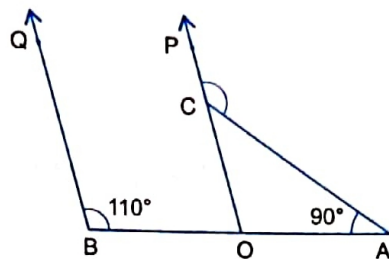


Fig.11.29

Statement-2 (Reason): If two parallel lines are intersected by a transversal, then the corresponding angles are equal.

### ANSWERS

- |         |         |         |         |         |         |         |
|---------|---------|---------|---------|---------|---------|---------|
| 1. (a)  | 2. (b)  | 3. (d)  | 4. (d)  | 5. (a)  | 6. (c)  | 7. (c)  |
| 8. (d)  | 9. (c)  | 10. (a) | 11. (b) | 12. (b) | 13. (b) | 14. (b) |
| 15. (c) | 16. (d) | 17. (d) | 18. (c) | 19. (c) | 20. (a) | 21. (b) |
| 22. (a) | 23. (d) | 24. (a) | 25. (c) | 26. (b) | 27. (a) | 28. (b) |
| 29. (c) | 30. (d) | 31. (a) | 32. (a) | 33. (d) | 34. (b) |         |